

Atmospheric Correction (LTSK-1) for ADEOS-II GLI Land Product: Algorithm and Current Status

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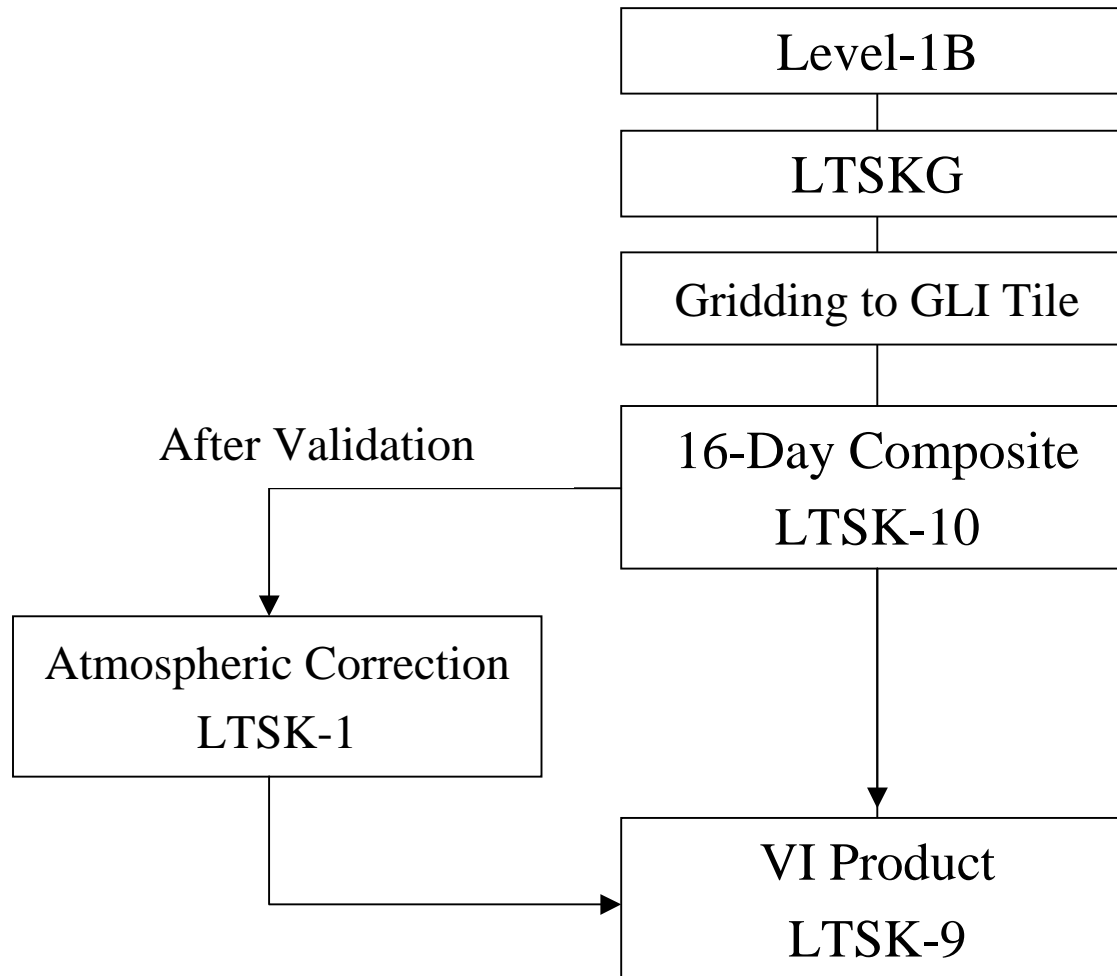
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Overview

- I. LTSK-1 Algorithm Description
 - Algorithm Update
- II. Changes in Look-up-tables
 - Using GLI band-pass filters
- III. Algorithm Testing with Satellite Data
 - EO-1 Hyperion Data
- IV. On-Going and Future Work

Land Product Flow Chart



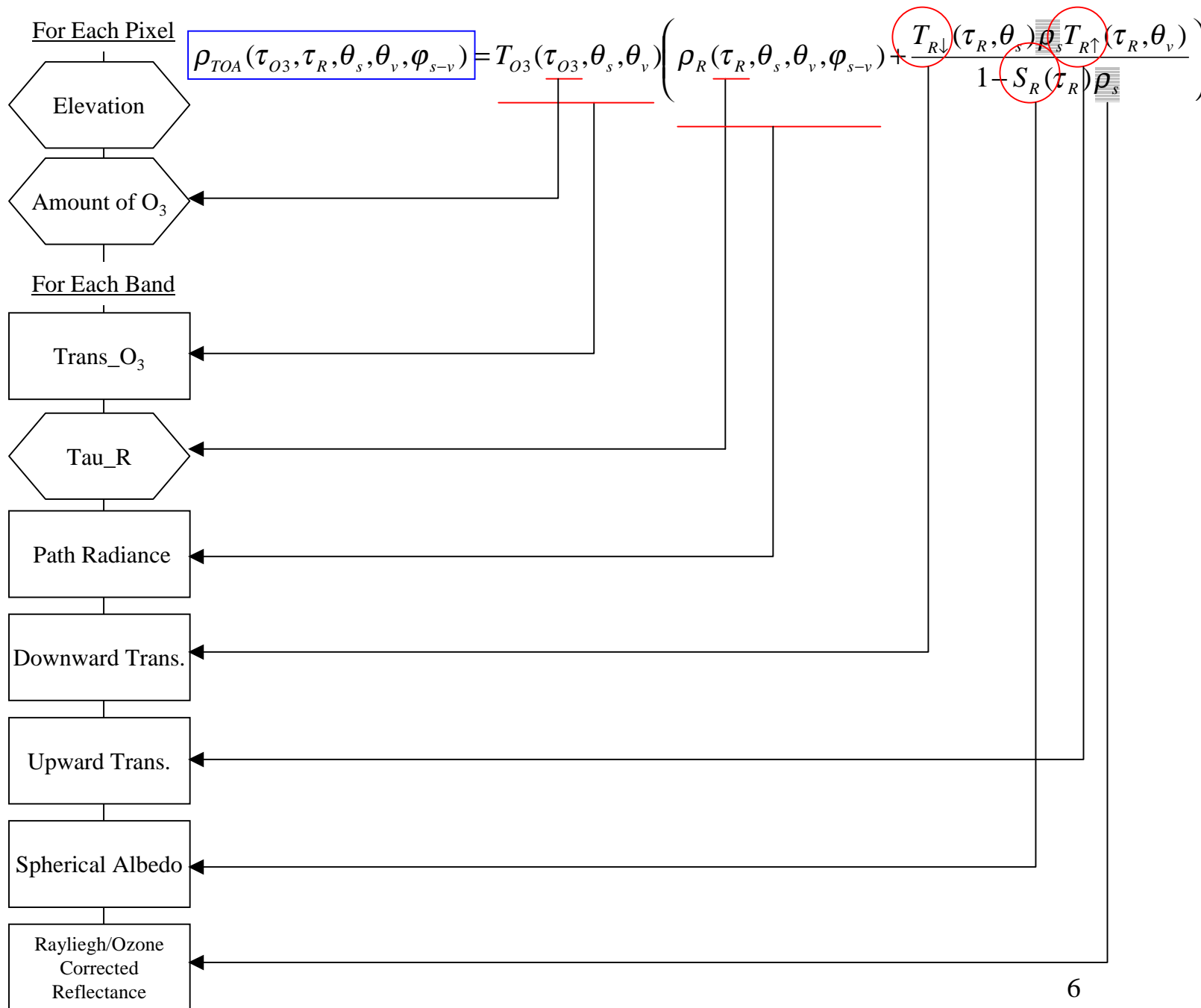
LTSK-1 Algorithm Update (Summary)

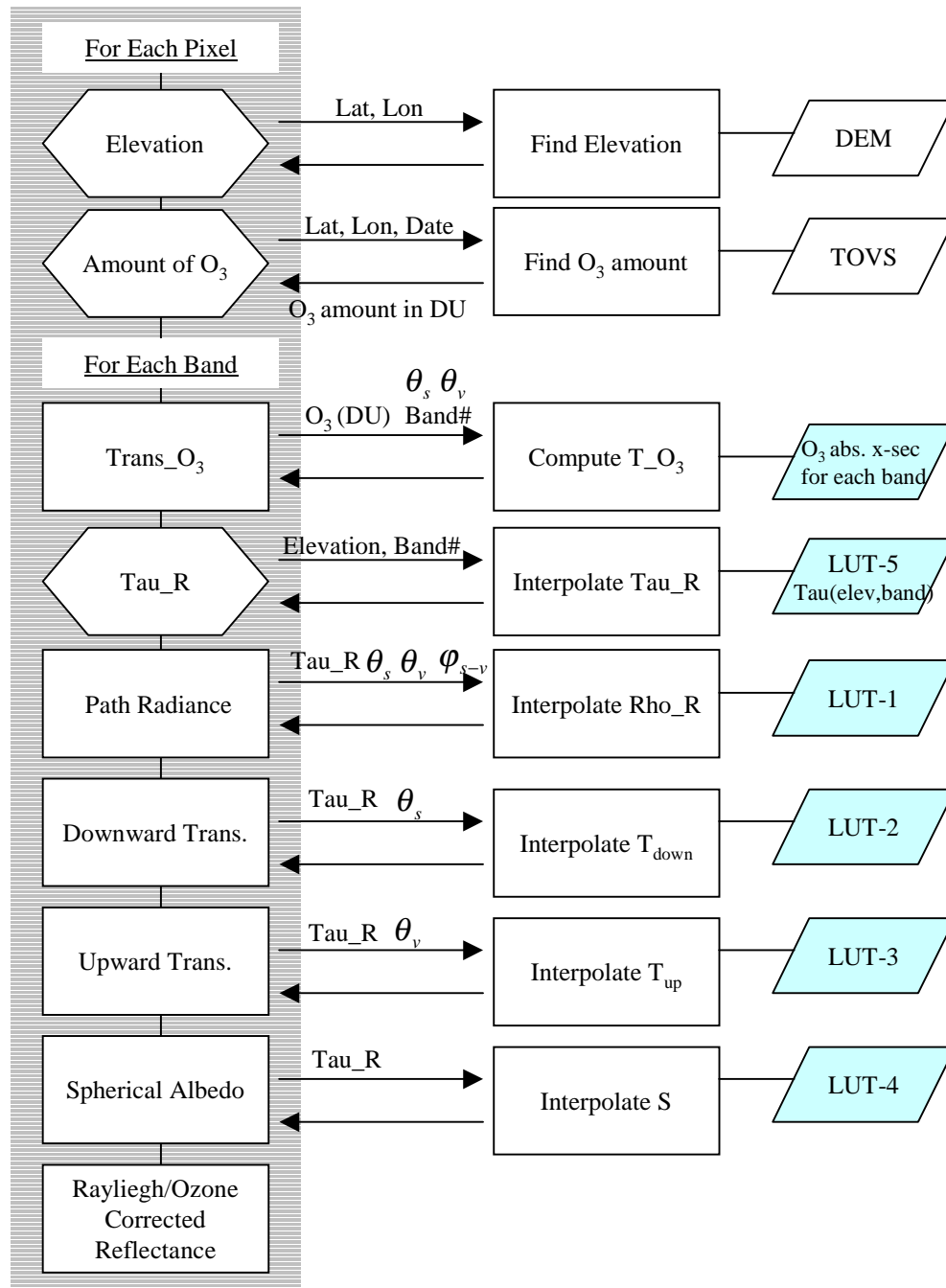
- LTSK-1 code (scientific version) was restructured
- Number of LUTs and LUT structure
- RT code was altered from Gauss-Seidel Vector Code to Discrete-Ordinates Scalar Code

Assumptions

- Ozone layers are above molecular layer
 - => Ozone absorption and molecular scattering are decoupled
- All molecules are above aerosols
 - => Molecular layer is decoupled from the aerosol layer
 - Ozone layer, molecular layer, and (aerosol layer + ground surface) are all decoupled*
- System of (aerosol layer + ground surface) is assumed as Lambertian
- Horizontally homogeneous
 - => RT simulations can be treated as plane parallel (1-D) problems

$$\rho_{TOA}(\tau_{O3}, \tau_R, \theta_s, \theta_v, \varphi_{s-v}) = T_{O3}(\tau_{O3}, \theta_s, \theta_v) \left(\rho_R(\tau_R, \theta_s, \theta_v, \varphi_{s-v}) + \frac{T_{R\downarrow}(\tau_R, \theta_s) \rho_s T_{R\uparrow}(\tau_R, \theta_v)}{1 - S_R(\tau_R) \rho_s} \right)$$





Wavelength Dependency and Use of GLI Band-Pass-Filters

➤ Ozone Layer: Two-way Transmittance

- Attenuation coefficient is a function of wavelength
=> LUT of Band# vs. Ozone attenuation coefficients

➤ Molecular Layer: Path Radiance, Transmittances, Albedo

- Optical thickness (scattering x-sec) depends on wavelength
- But, scattering phase function is independent of wavelength
=> RT simulations can be conducted independent of wavelength

Most of LUTs are independent of wavelength

Simulation of Molecular Scattering

$$-\mu \frac{\partial I(\tau, \Omega)}{\partial \tau} + I(\tau, \Omega) = \frac{\overline{\omega}}{4\pi} \int_{4\pi} P_R(\Omega' \rightarrow \Omega) I(\tau, \Omega') d\Omega'$$

$$P_R(\Theta) = \frac{3A(1 + \cos^2(\Theta))}{4} + B$$

Surface Source

For path radiance and downward transmittance: monodirectional beam source

$$I(0, \Omega) = I_0 \delta(\Omega - \Omega_0), \quad \mu < 0$$

For upward transmittance and spherical albedo: isotropic source

$$I(\tau_R, \Omega) = I_s, \quad \mu > 0$$

Optical thickness of molecular layer: function of wavelength

$$\tau_R(\lambda, Z_s) = \sigma_R(\lambda) \int_{Z_s}^{Z_{TOA}} N(Z) dZ$$

LUTs for path radiance, transmittances and spherical albedo, are independent of BPFs.

Elevation vs. Tau_R for Each Band

- Molecular Density Integration along Z

$$\tau_R(\lambda, Z_s) = \sigma_R(\lambda) \int_{Z_s}^{Z_{TOA}} N(Z) dZ$$

$$N(Z) = N_s \frac{P(Z)}{1013.25} \frac{273.15}{T(Z)}$$

elevation of target pixel

integration range fixed

integration with STP profile (US62)

- Band averaged microscopic cross section

$$\sigma_R(\lambda) = \frac{8\pi^3 (m_r^2(\lambda) - 1)^2}{3\lambda^4 N_s^2} \frac{6 + 3\delta}{6 - 7\delta} \quad \Rightarrow \quad \sigma_{R,i} = \frac{\int \sigma_R(\lambda) F_i(\lambda) d\lambda}{\int F_i(\lambda) d\lambda}$$

$$(m_r - 1) \times 10^8 = 8342.13 + \frac{2406030}{130 - \lambda^{-2}} + \frac{15997}{38.9 - \lambda^{-2}}$$

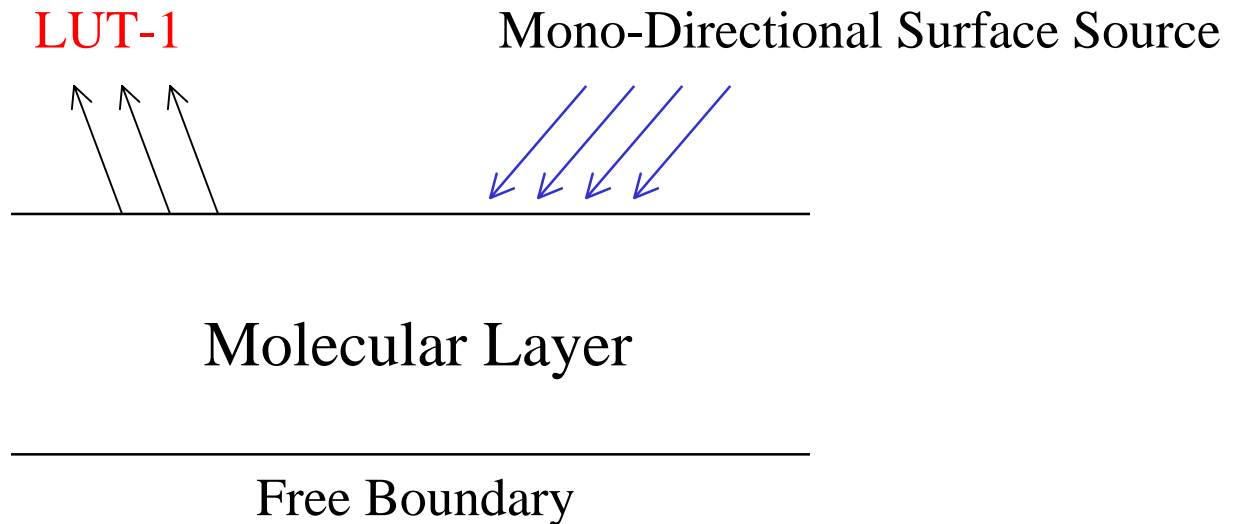
Elevation vs. Tau_R for Each GLI Band

- Number of elevation grid: 17
 - 600 (m), 0, 600, 1200, 1800,
2400, 3000, 3600, 4200, 4800,
5400, 6000, 6600, 7200, 7800,
8400, 9000
- Elevation is related to Tau_R through standard pressure and temperature (US62)
 - Pressure and temperature profile is fixed at each pixel
- BPFs are used to obtain band-averaged cross section

Bi-Directional Reflectance

$$\rho_{TOA}(\tau_{O3}, \tau_R, \theta_s, \theta_v, \phi_{s-v}) = T_{O3}(\tau_{O3}, \theta_s, \theta_v) \left(\rho_R(\tau_R, \theta_s, \theta_v, \phi_{s-v}) + \frac{T_{R\downarrow}(\tau_R, \theta_s) \rho_s T_{R\uparrow}(\tau_R, \theta_v)}{1 - S_R(\tau_R) \rho_s} \right)$$

Bi-Directional Reflectance



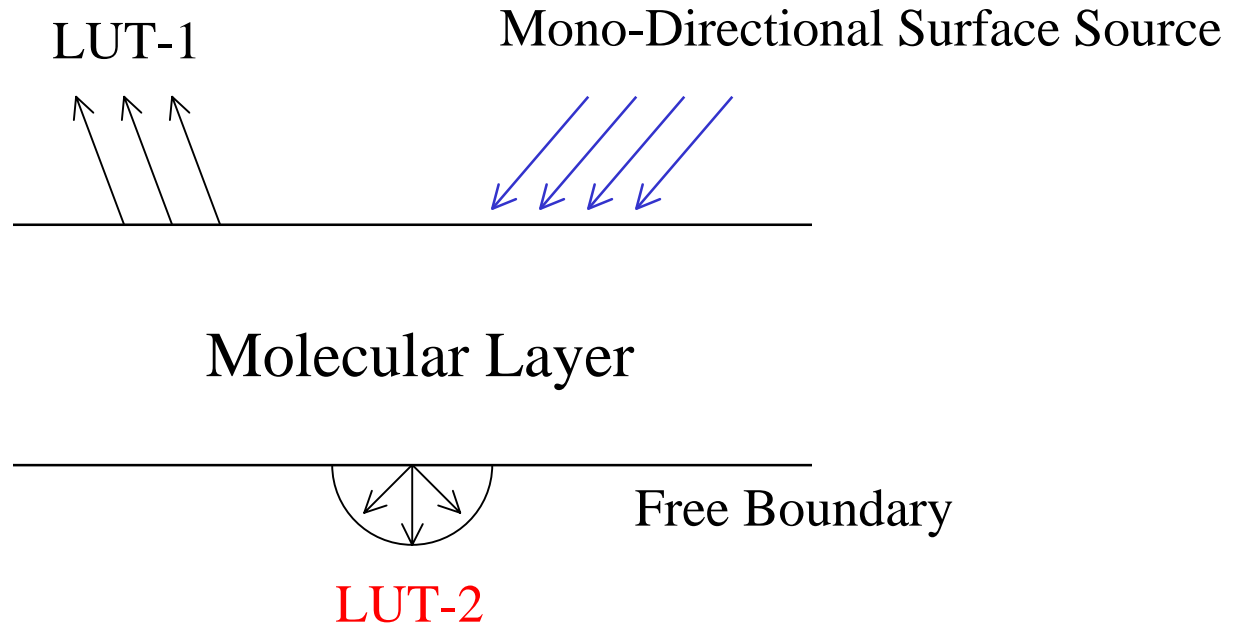
LUT-1 Size:

9 (solar-zenith) x 6 (view-zenith) x 13 (azimuth) x 41 (Tau_R) = 28,782 (words)

Previously, 9 x 6 x 13 x 17 (elevation) x 13 (ozone) x 19 (bands) = 226,749 (words), (7.8 times larger)

Directional-Hemispherical Transmittance

$$\rho_{TOA}(\tau_{O3}, \tau_R, \theta_s, \theta_v, \varphi_{s-v}) = T_{O3}(\tau_{O3}, \theta_s, \theta_v) \left(\rho_R(\tau_R, \theta_s, \theta_v, \varphi_{s-v}) + \frac{T_{R\downarrow}(\tau_R, \theta_s) \rho_s T_{R\uparrow}(\tau_R, \theta_v)}{1 - S_R(\tau_R) \rho_s} \right)$$



Directional-Hemispherical Transmittance

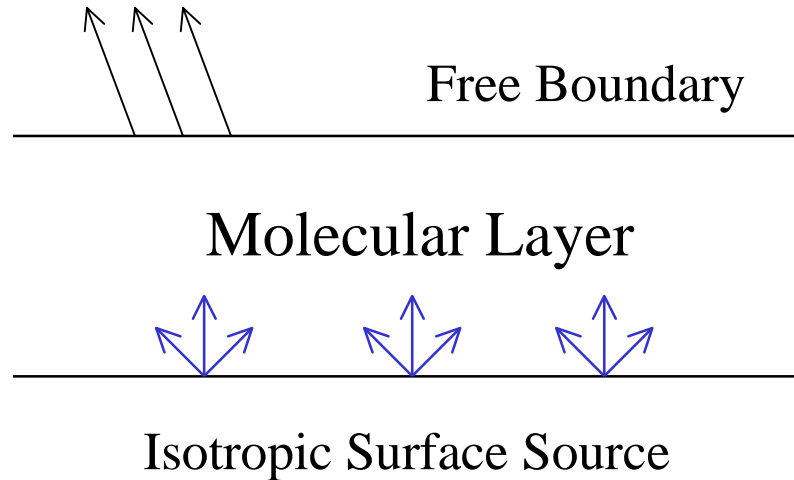
LUT-1 Size: 9 (solar-zenith) x 41 (Tau_R) = 369 (words)

Hemispherical-Directional Transmittance

$$\rho_{TOA}(\tau_{O3}, \tau_R, \theta_s, \theta_v, \phi_{s-v}) = T_{O3}(\tau_{O3}, \theta_s, \theta_v) \left(\rho_R(\tau_R, \theta_s, \theta_v, \phi_{s-v}) + \frac{T_{R\downarrow}(\tau_R, \theta_s) \rho_s \overline{T_{R\uparrow}(\tau_R, \theta_v)}}{1 - S_R(\tau_R) \rho_s} \right)$$

Hemispherical-Directional Transmittance

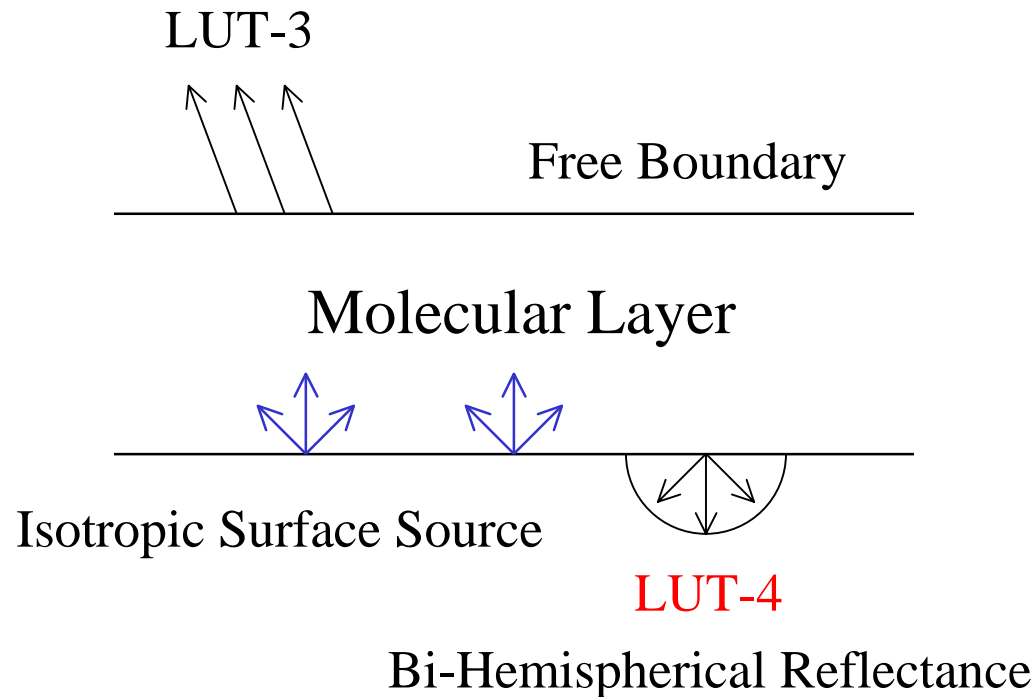
LUT-3



LUT-1 Size: 9 (solar-zenith) x 41 (Tau_R) = 369 (words)

Spherical Albedo (Bi-Hemispherical Reflectance)

$$\rho_{TOA}(\tau_{O3}, \tau_R, \theta_s, \theta_v, \varphi_{s-v}) = T_{O3}(\tau_{O3}, \theta_s, \theta_v) \left(\rho_R(\tau_R, \theta_s, \theta_v, \varphi_{s-v}) + \frac{T_{R\downarrow}(\tau_R, \theta_s) \rho_s T_{R\uparrow}(\tau_R, \theta_v)}{1 - \overline{S_R(\tau_R)} \rho_s} \right)$$



LUT-1 Size: 41 (Tau_R) = 41 (words)

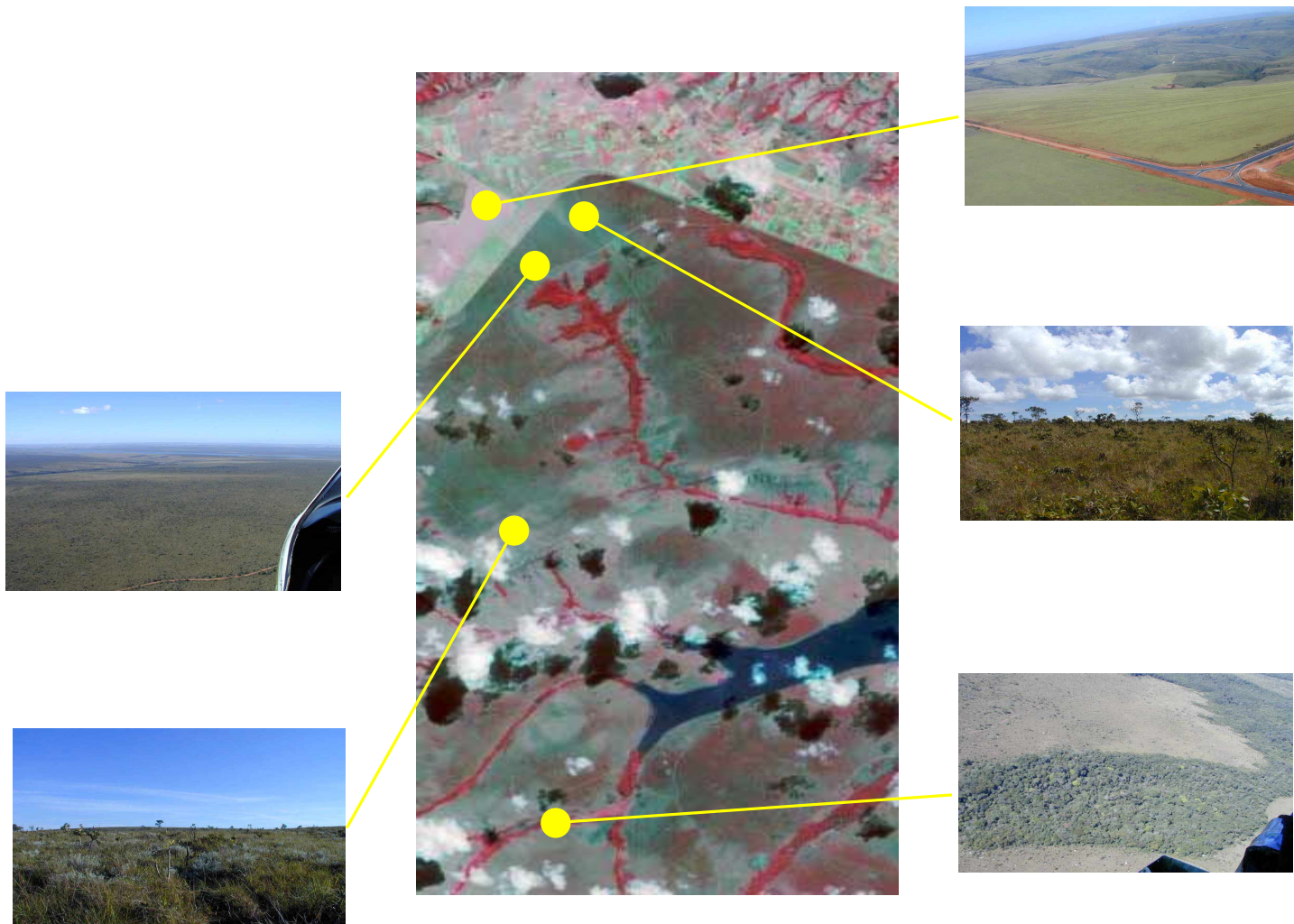
LUT-1 ~ 5

- LUTs depend on Tau_R, viewing and illumination angles
- Elevation is no longer a variable for LUTs
- Discretization levels of each variable
 - Solar-zenith angle: 9 levels (in cosine)
0.25, 0.3, 0.4, 0.5, 0.6, 0.7, 0.8, 0.9, 0.998
 - View-zenith angle: 6 levels (in cosine)
0.98156, 0.90412, 0.76990, 0.58732, 0.36783, 0.12523
 - Diff. of solar-view azimuth: 13 levels (in degree)
0.0 ~ 180 at every 15 degree (for LUT due to symmetry)
 - Tau_R: 41 grids from 0.001 ~ 0.450 (log normal)

Application of LTSK-1 Algorithm on EO-1 Hyperion Data Processing

- 30 m pixel size
- 242 channels, 10 nm resolution, 10nm interval
- Comparison with Airborne Radiometric Data by ASD FieldSpec (512 channels, 3.5nm spectral resolution, 1.5nm interval)
- Brasilia National Park: An LBA Core Site (Cerrado Region)

Brasilia National Park



False color composite of ETM+
(4,3,2) synthesized by Hyperion data

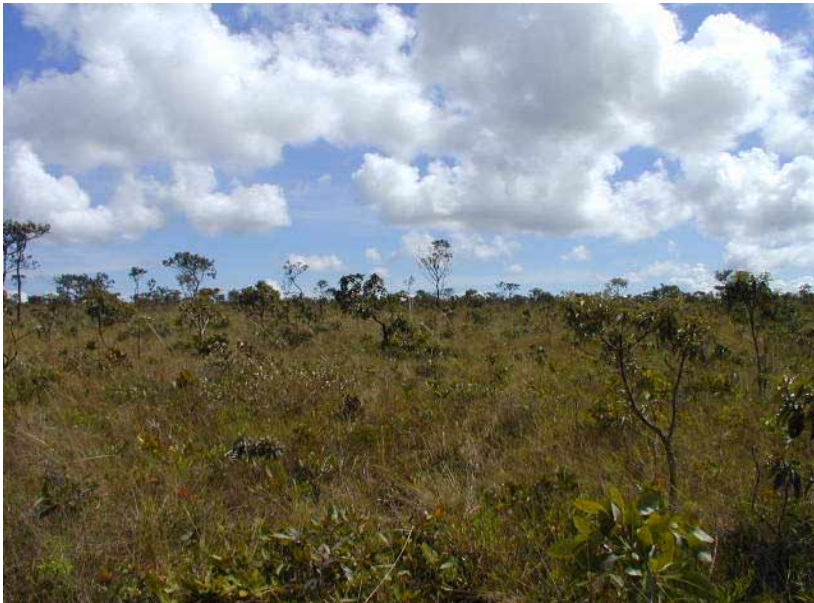
Open grassland

15.66S, 48.03W



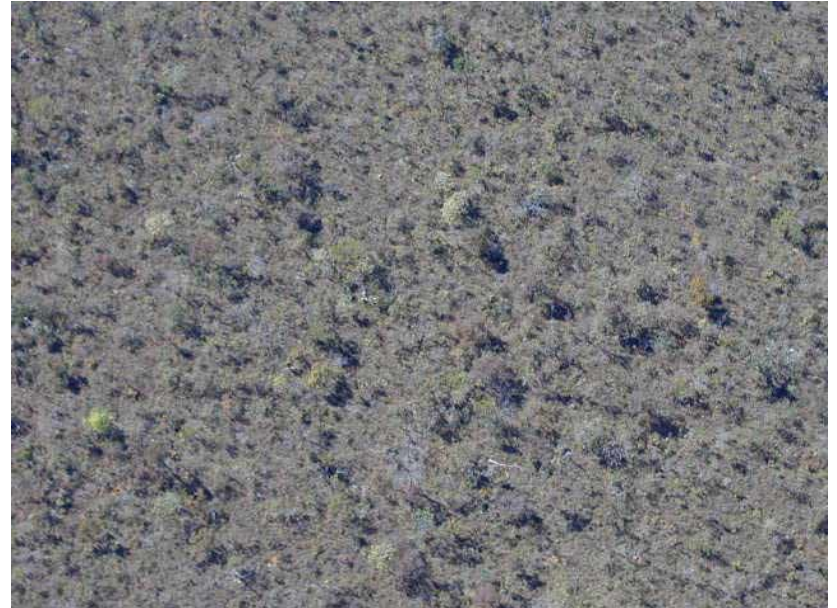
Open grassland with
sparse shrubs

15.59S, 48.01W



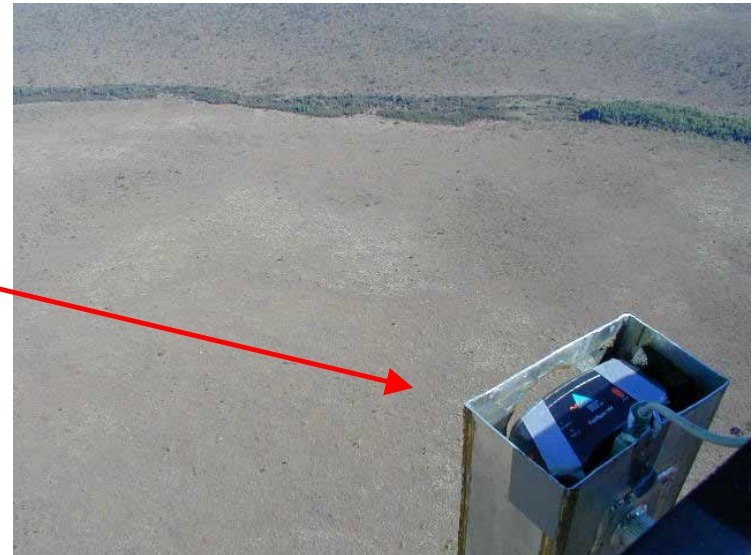
Shrubland with sparse trees

15.61S, 48.03W



Pasture



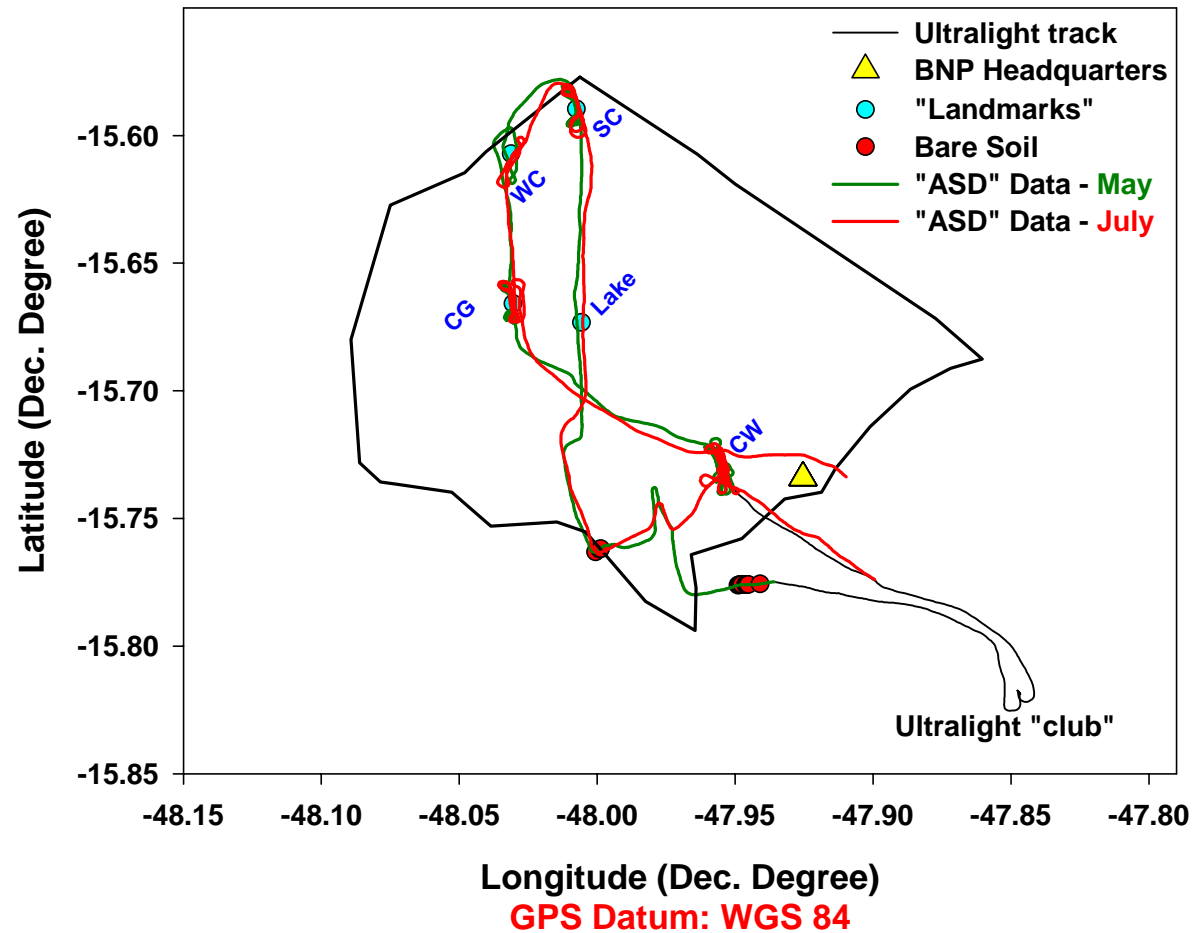


Gallery Forrest



Brasilia National Park

Airborne Spectrorradiometric Data Collection

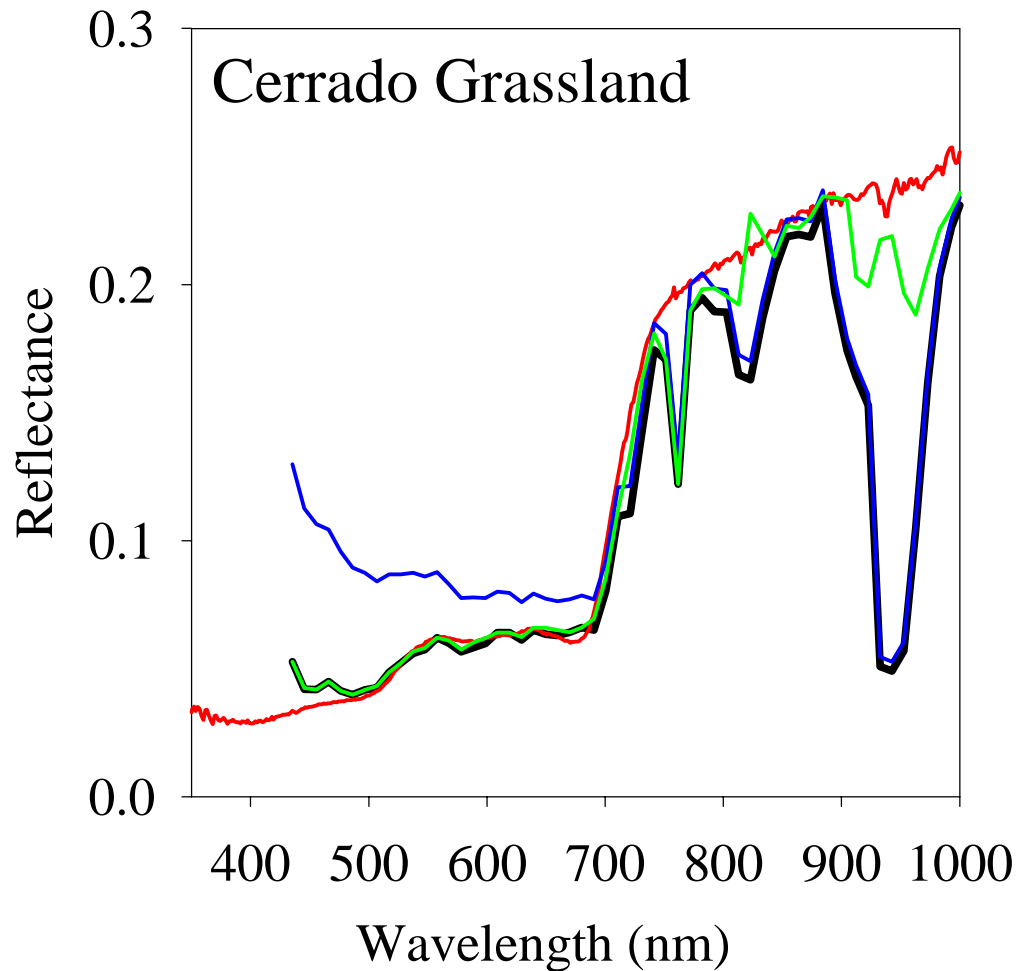


Rayleigh Scattering, Ozone & Water-Vapor Absorption Correction by GLI LTSK-1 Algorithm

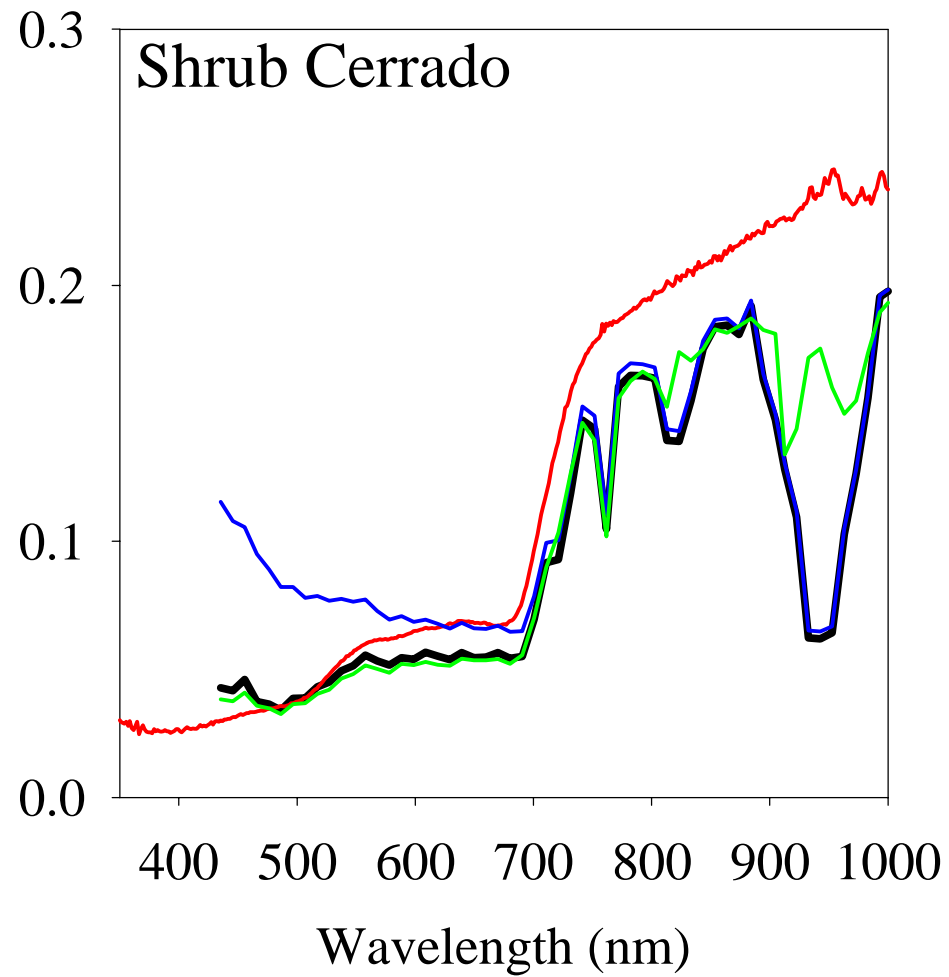
Rayleigh: Elevation was determined from GTOPO-30, which is used to estimate the atmospheric pressure, which is then used to compute the optical depth. Path radiance and transmittances were obtained by a one-dimensional two-angle radiative transfer code (Discrete-Ordinates Method).

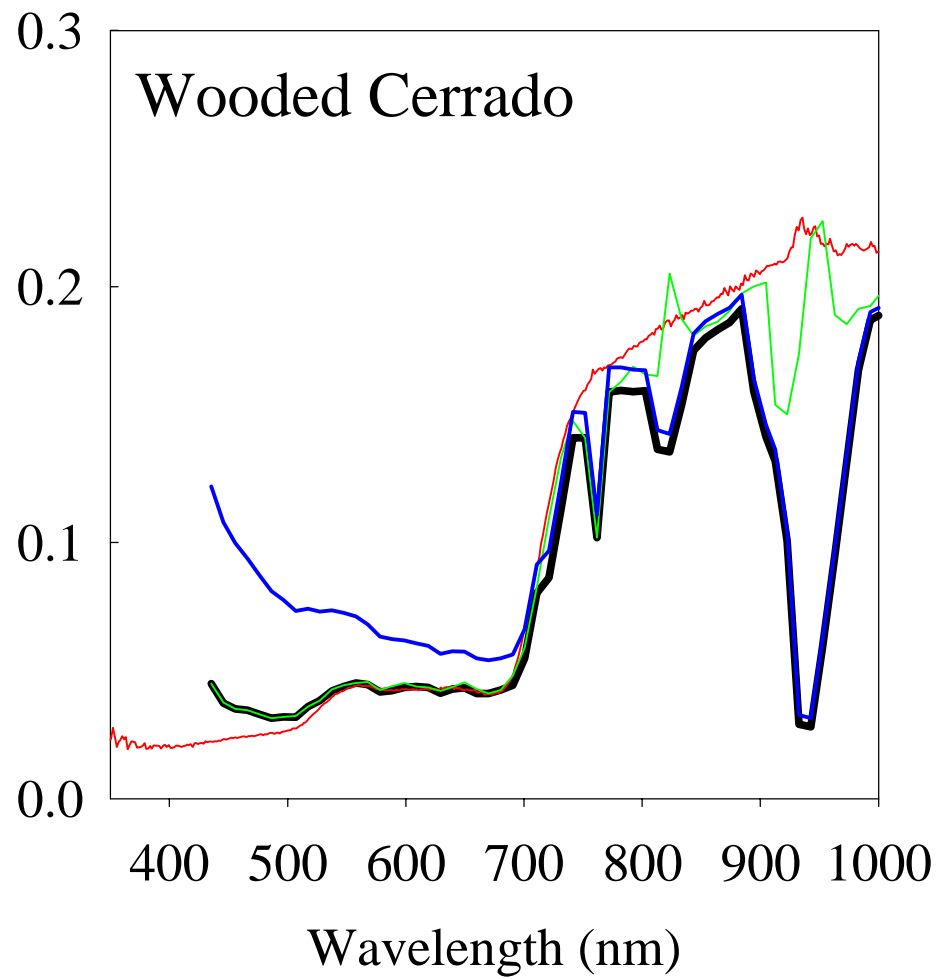
Ozone: Daily Ozone Data from Earth Probe was used to obtain the two-way transmittances.

Water-Vapor: ATREM's approach was chosen with Hitran96 data base for absorption coefficients.

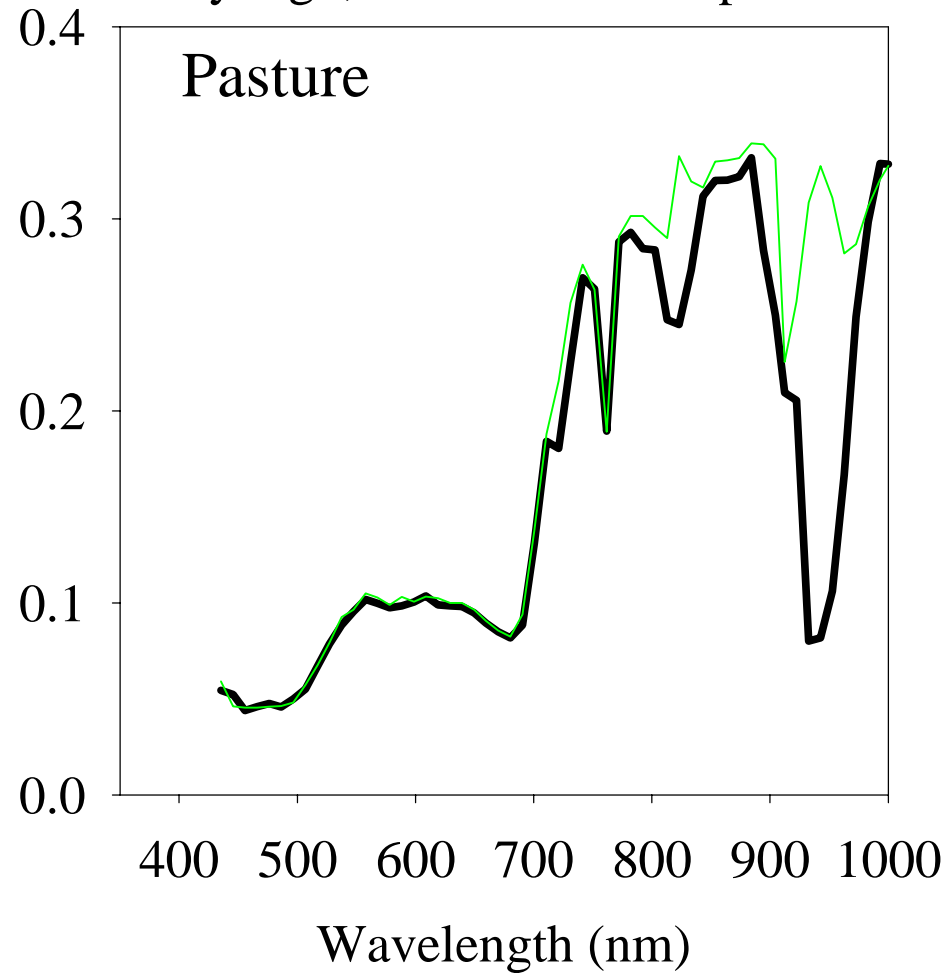


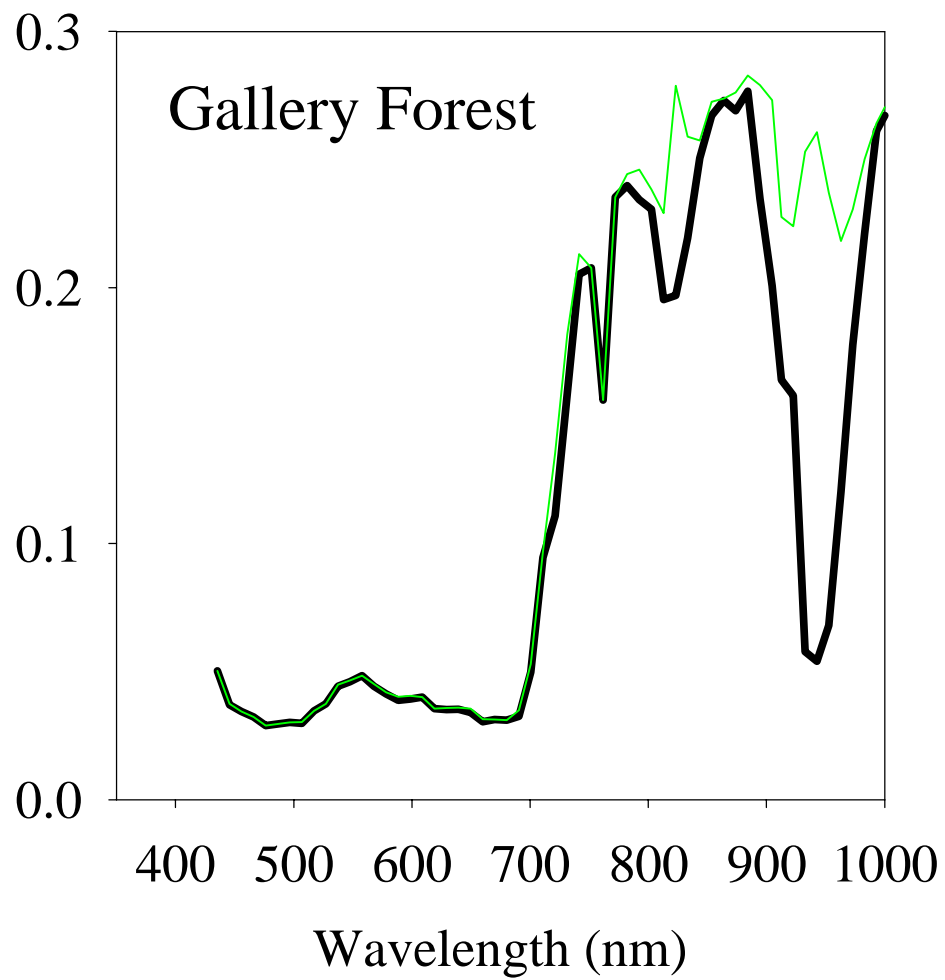
- Hyperion after Rayleigh and Ozone correction
- Airborne FieldSpec
- Hyperion TOA reflectance
- Hyperion after Rayleigh, Ozone & water-vapor correction





- Hyperion w/Rayleigh&Ozone correction
- Hyperion w/Rayleigh,Ozone&water vapor correciton





On-Going and Future Work

On-Going Work

- Algorithm Testing with MODIS L1B Data (as well as other sensors)
 - Code modification is necessary
- Investigation of Continuity/Compatibility of GLI-VI Products against Other Sensors (Yamamoto)

Future Work

- QA Flags
- QC Strategy
- Algorithm Validation against Ground Data